

A Fast Data Simulator for High Density Perpendicular Recording

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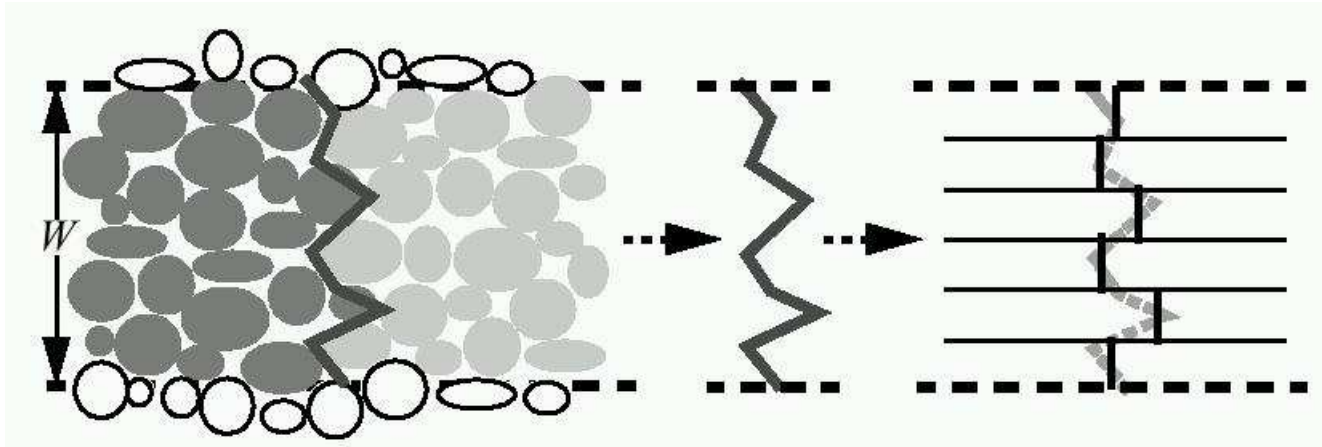
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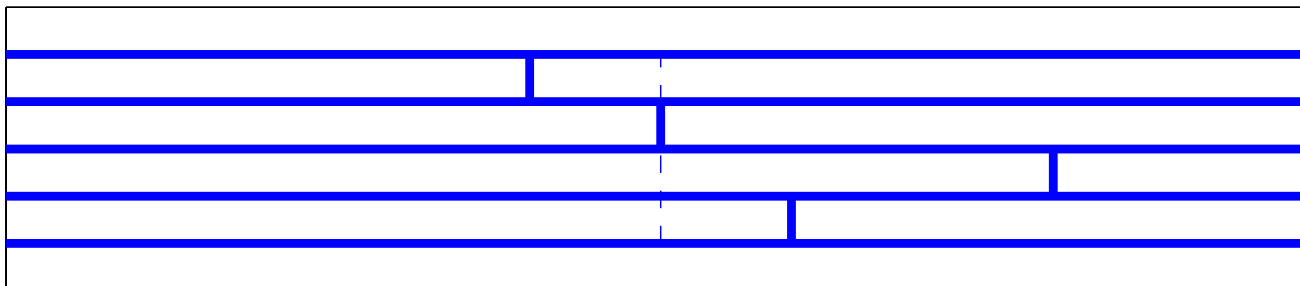
Transition noise in recording



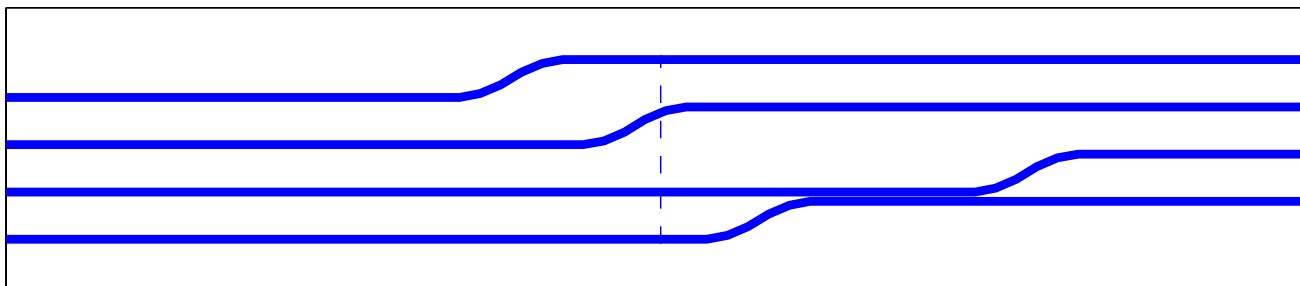
- A major source of distortion in perpendicular recording is **transition noise** just as in longitudinal recording.
- The cause of transition noise is the **granular structure** of the recording media.
- To account for transition noise, the **microtrack model** [Caroselli and Wolf] is used.
- Divide one recording track into smaller microtracks each with a **random shift**.

The microtrack model

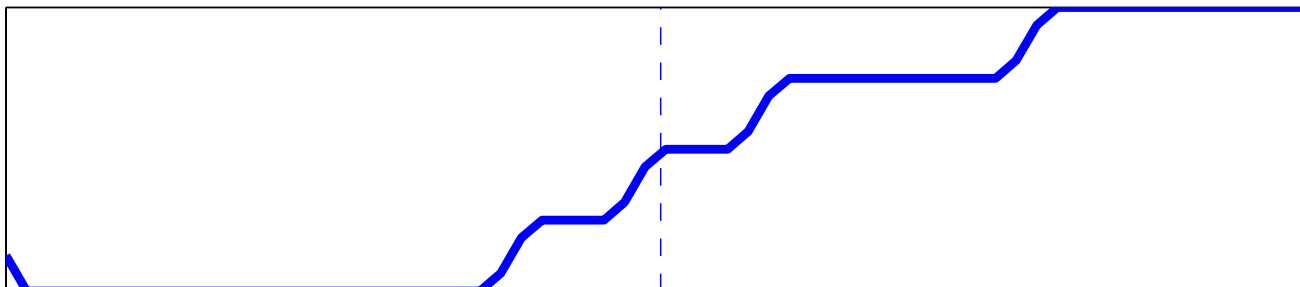
Microtrack Transition Positions



Microtrack Transition Responses



Microtrack Output Waveform



The microtrack model (cont.)

- Sum delta-functions and **convolve** with long response **once**.

$$\begin{aligned}
 s(t) &= \frac{1}{N_t} \sum_k \sum_i a_k \cdot h(t - kT - \tau_{i,k}) \\
 &= \underbrace{\left[\frac{1}{N_t} \sum_k \sum_i a_k \cdot \delta(t - kT - \tau_{i,k}) \right]}_{r(t)} \otimes h(t)
 \end{aligned}$$

- The τ 's are obtained from a CDF derived from the average magnetization transition profile:

$$P(x \leq \tau) = \frac{1}{2} \left(1 + \tanh \left(\frac{2\tau}{\pi a} \right) \right)$$

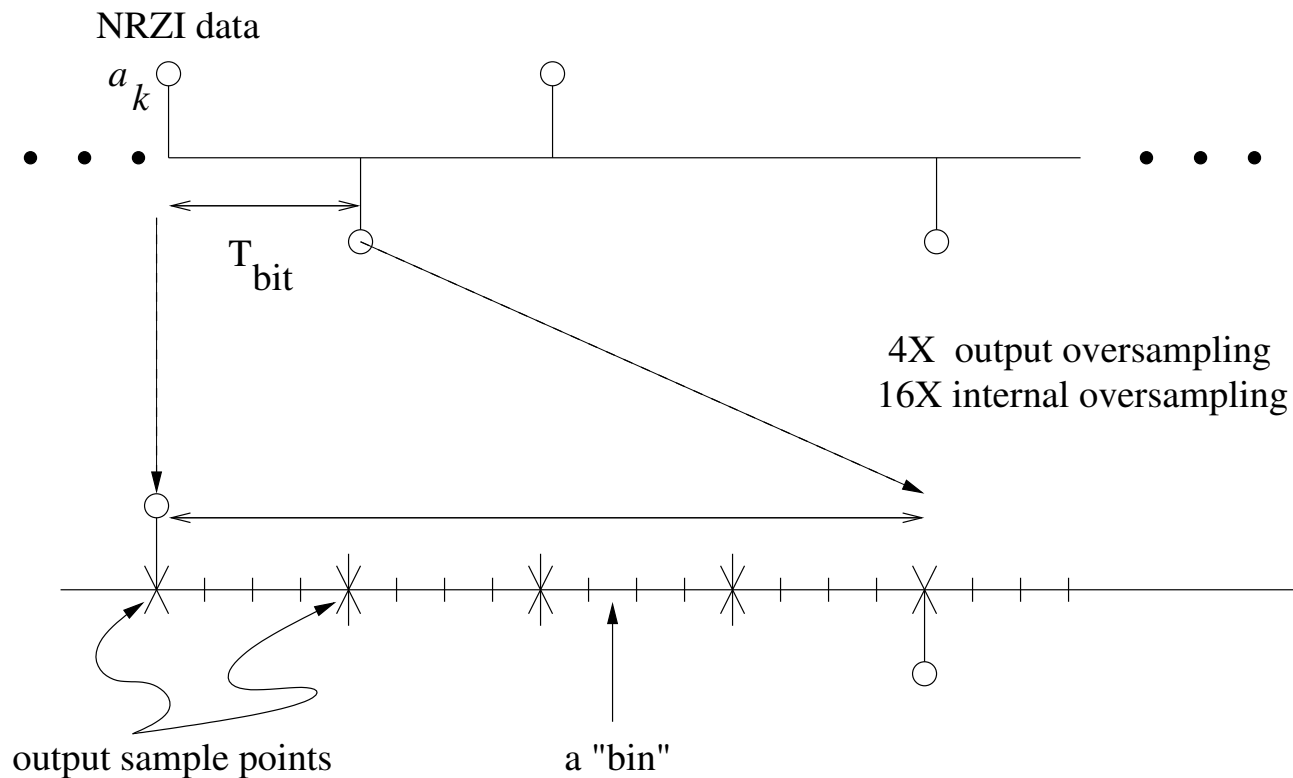
- Define: N_t - number of microtracks, l_h - length of $h(t)$, and X_s - oversampling rate.
- Original** microtrack model: $N_t \cdot l_h \cdot X_s$ operations per bit.
- Convolve once** approach: $N_t + l_h \cdot X_s$ operations per bit.

Model architecture and the simulator flow

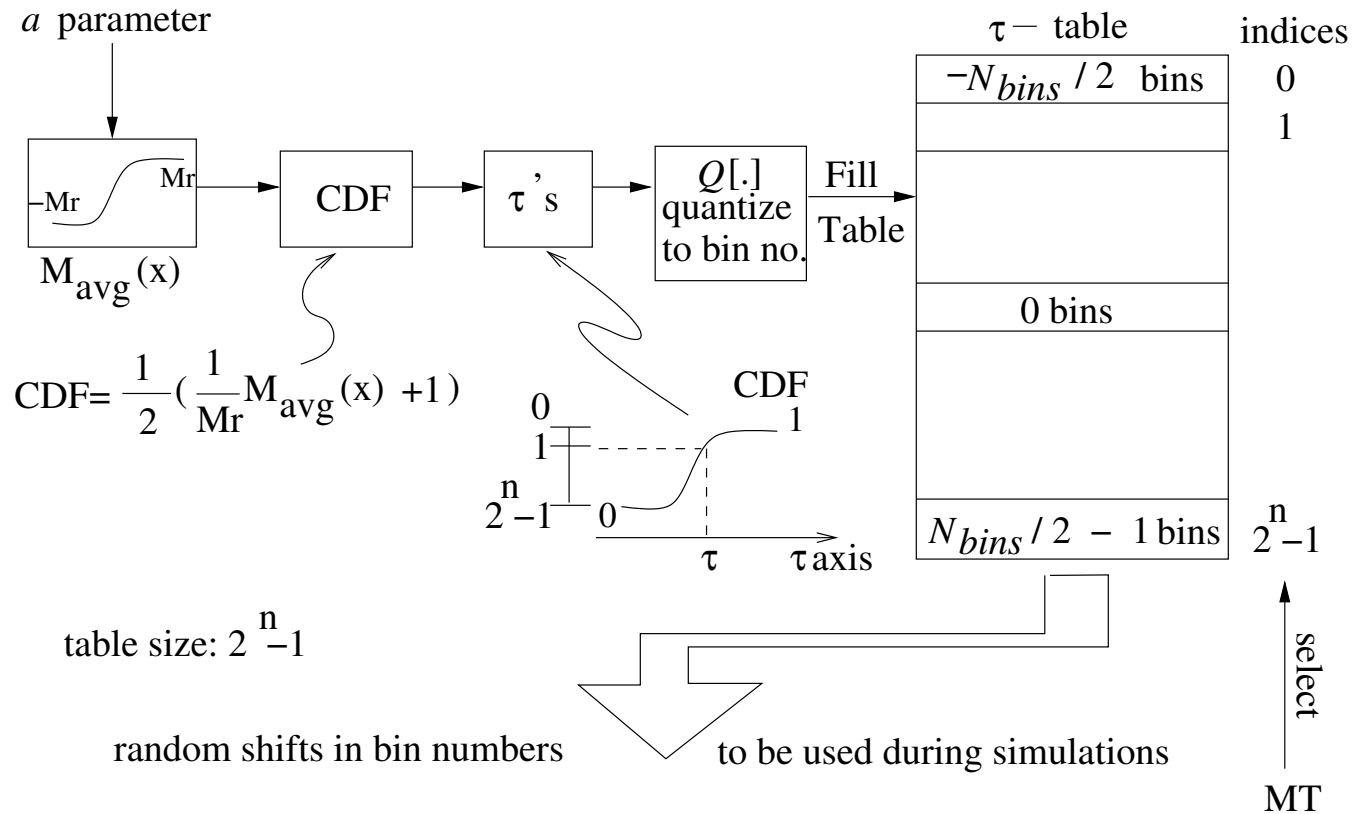
- To describe the simulator exactly, its flow can be broken down into 4 steps:
 1. Create a table of random shifts or the τ -table.
 2. Generate Uniform Random Numbers (URNs) to index into the τ -table.
 3. Shift the impulses and sum to form $r(t)$.
 4. Convolve $r(t)$ with $h(t)$ to reconstruct $s(t)$.

Oversampling by “binning”

- The response $h(t)$ and hence, $s(t)$ are sampled by the simulator.
- To minimize aliasing, internal oversampling is performed by partitioning the period in between two output waveform samples into discrete “bins.”

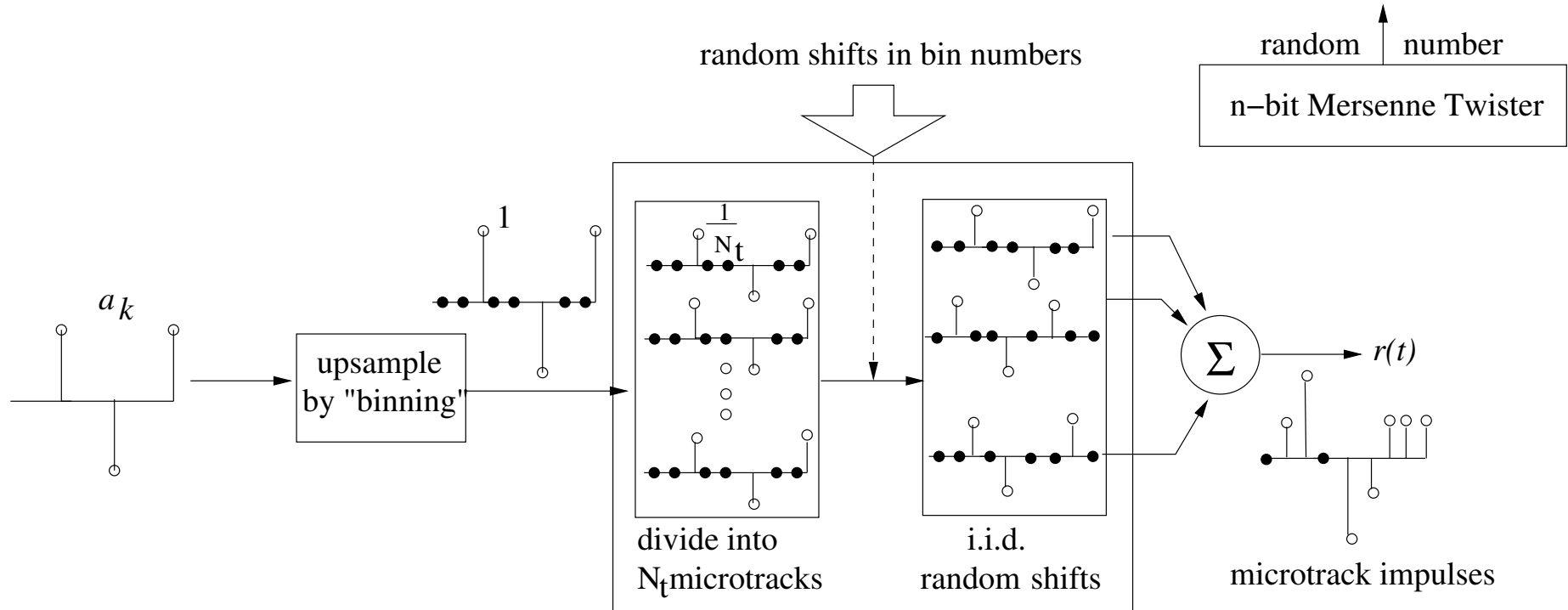


Step 1 and 2: Creating the τ -table and generating URNs



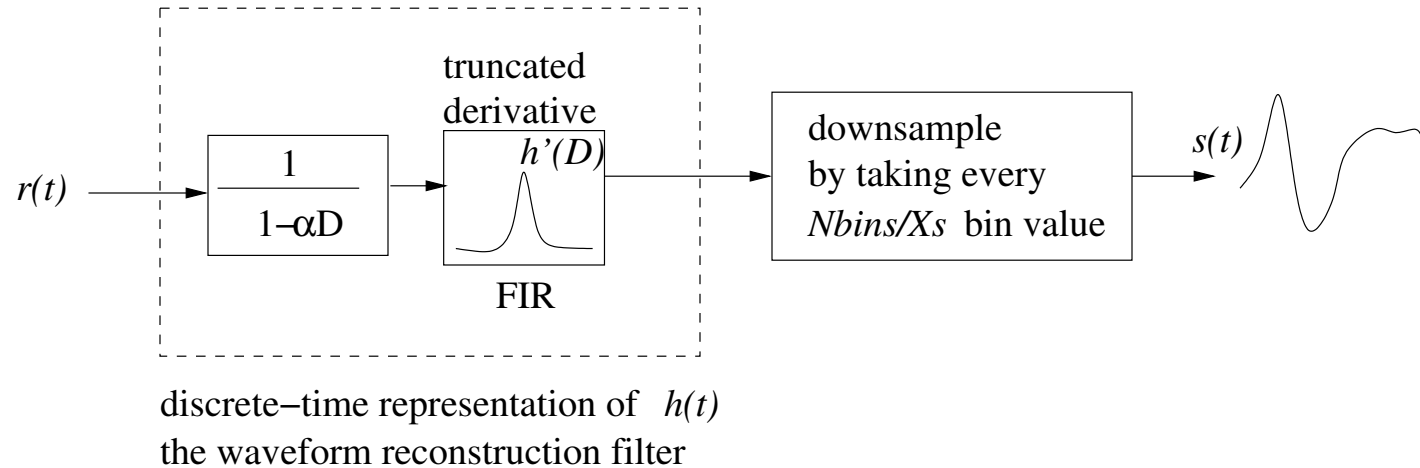
- The random τ shifts are **quantized and stored** as bin numbers.
- The **Mersenne Twister** random number generator is used during simulation to produce random indices to pick out the random shifts in bin numbers.

Step 3: Generating the microtrack impulses $r(t)$



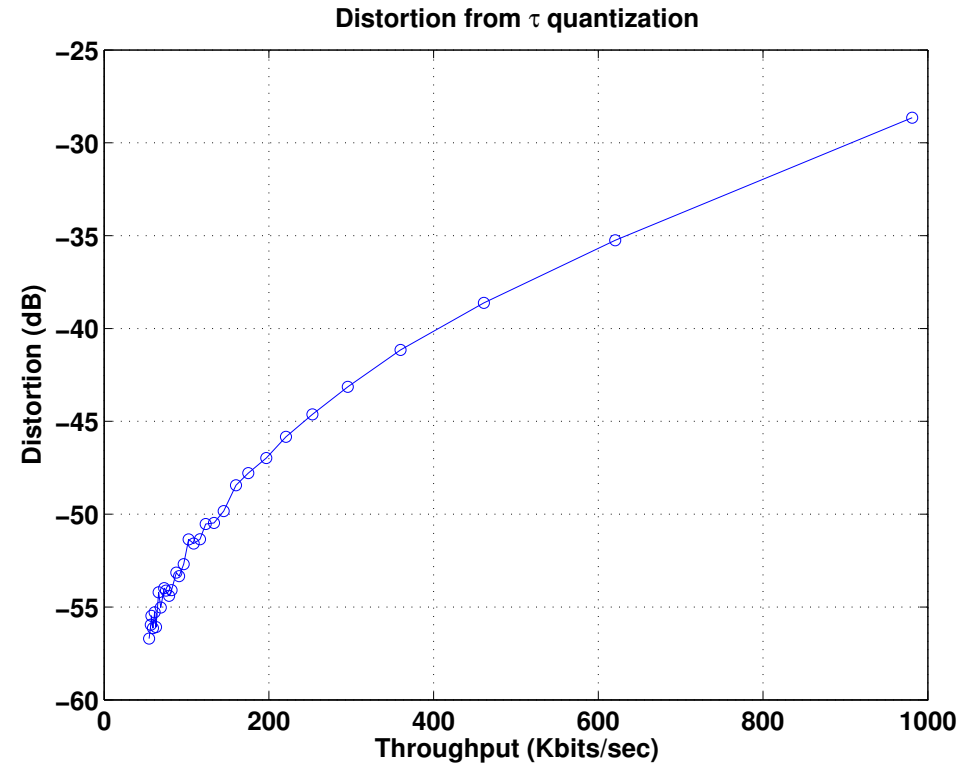
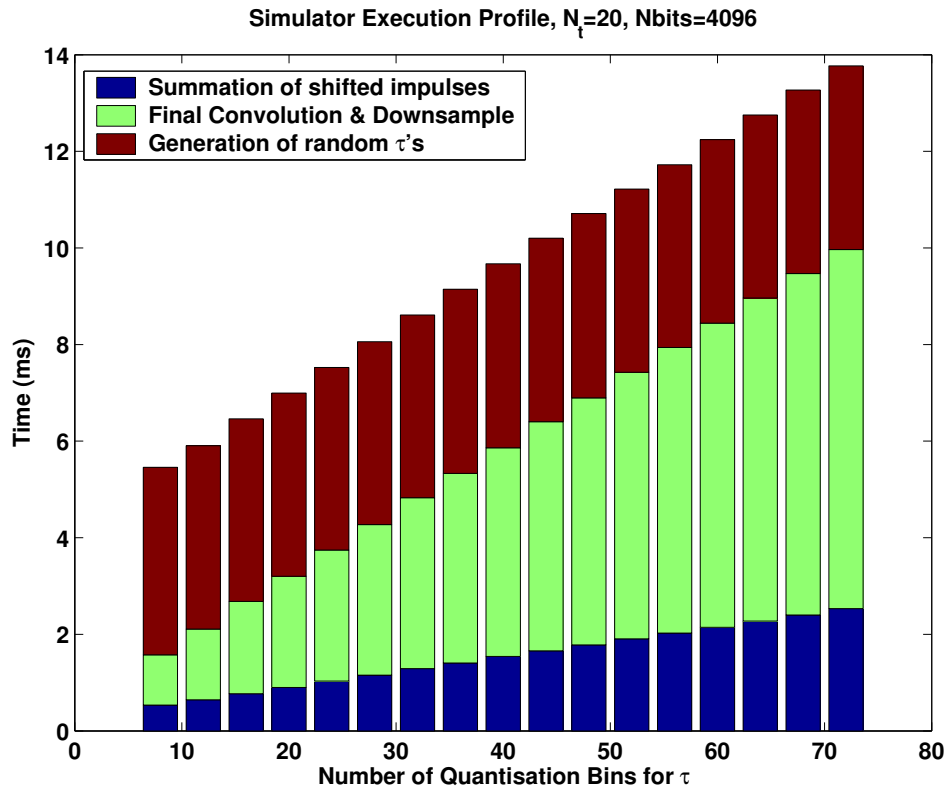
- Assign the impulses to bins according to the random bin numbers and sum to obtain $r(t)$.

Step 4: Reconstructing the output waveform $s(t)$



- The output waveform $s(t)$ is obtained by convolving $r(t)$ with $h(t)$.
- Can partition the discrete-time representation of $h(t)$ into the product of an **accumulator** and its **shortened derivative** $h'(D)$ to increase simulation speed.

Effects of τ -quantization: throughput vs. distortion



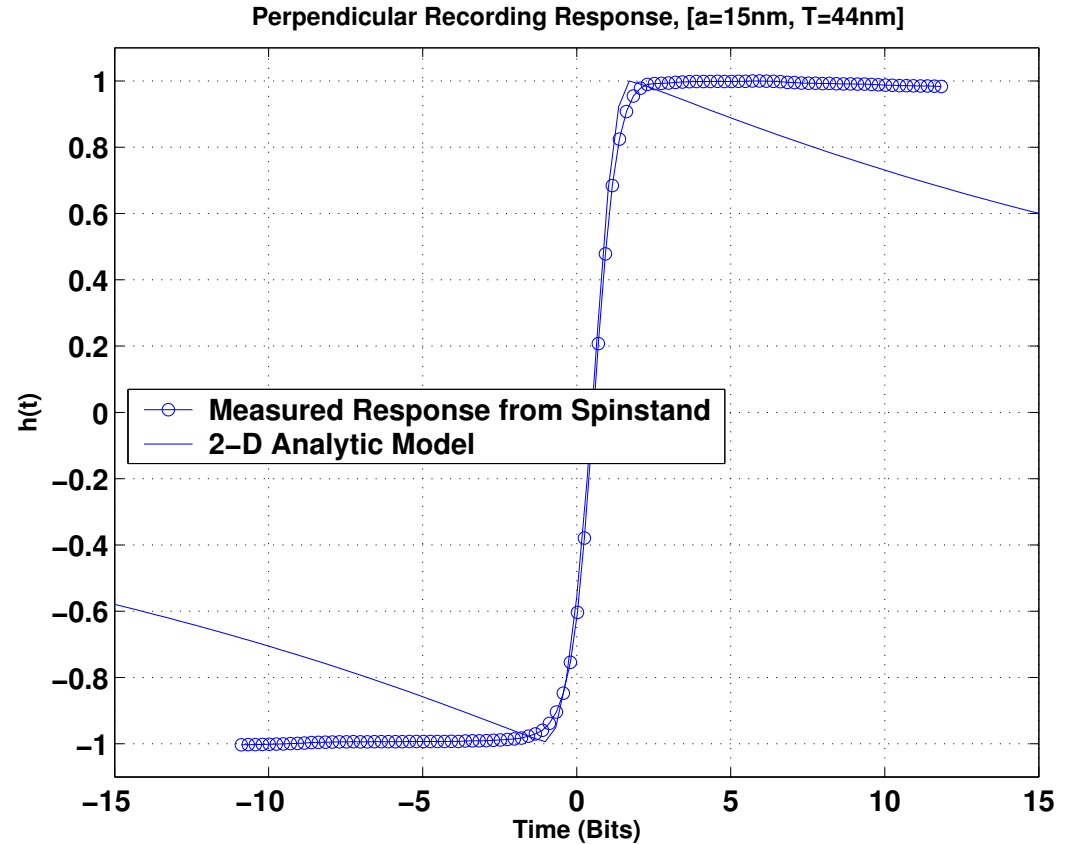
- The **distortion** at a throughput of more than 1 Mbps is still **small**.

Simulator speed enhancement via response shortening

- Consider the final waveform reconstruction filter:

$$\begin{aligned}
 h(D) &= \frac{1-D}{1-D} h(D) \\
 &= \frac{h'(D)}{1-D} \\
 &\approx \frac{W[h'(D)]}{1-D}
 \end{aligned}$$

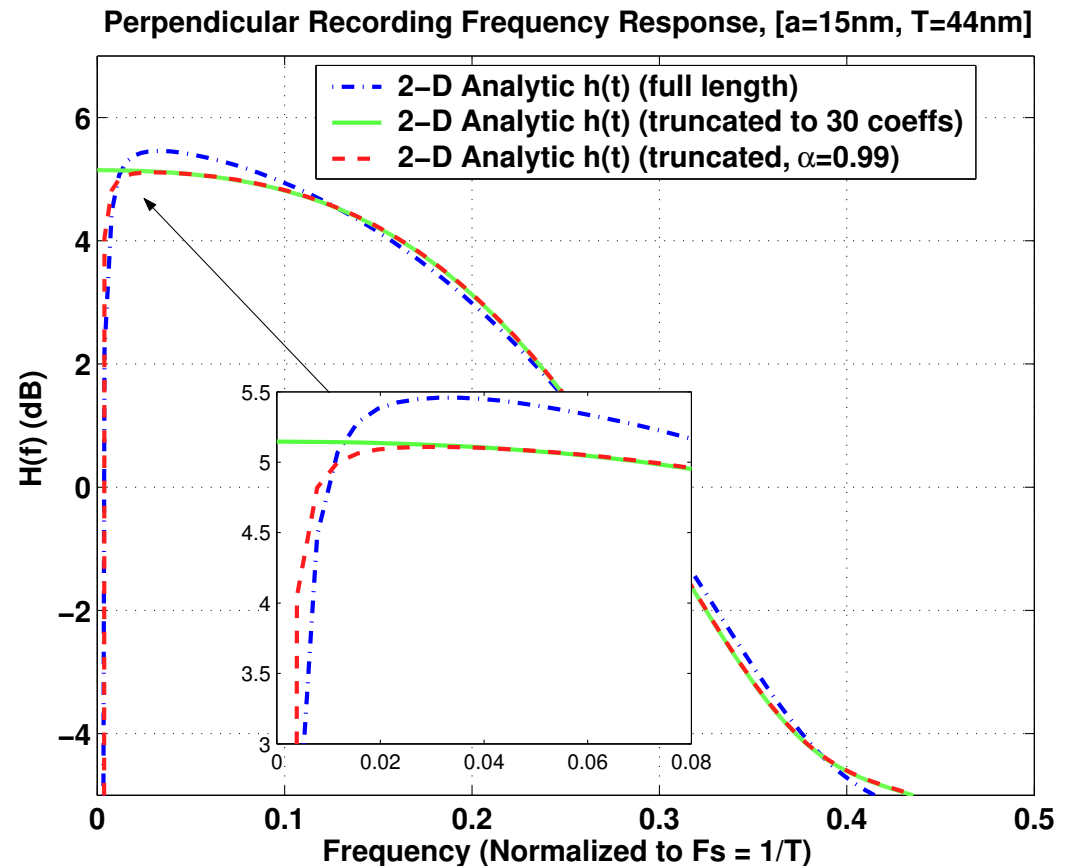
- The IIR filter has much fewer taps.



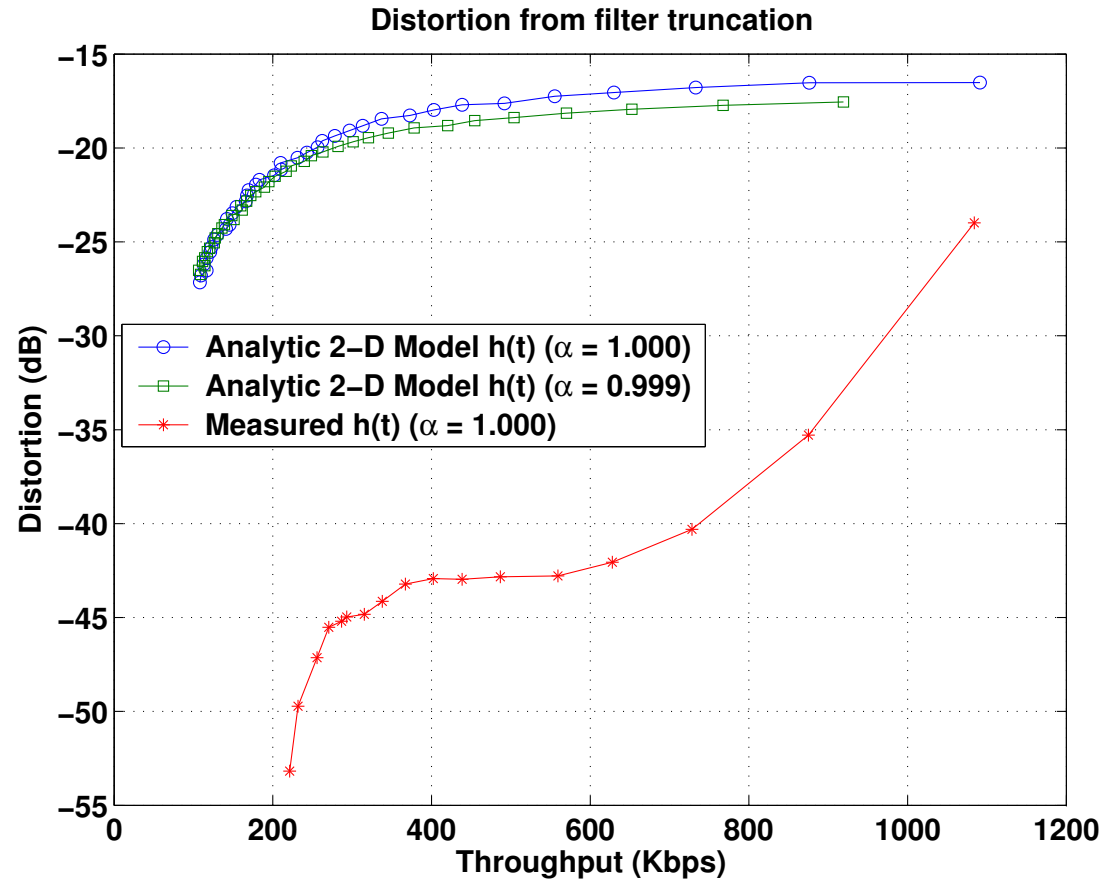
Distortion reduction via response matching

- Windowing $h'(D)$ **removes** the notch at DC in its frequency response.
- The distortion error is reduced by further filtering with a **high-pass** filter, thus **re-introducing** the notch at DC.

$$\begin{aligned}
 h_{\alpha}(D) &= \frac{1 - D}{1 - \alpha D} \cdot \frac{W[h'(D)]}{1 - D} \\
 &= \frac{W[h'(D)]}{1 - \alpha D}
 \end{aligned}$$



Distortion and throughput profile with response shortening



- The improved response matching **reduces** distortion.
- **Redundant computations** in the final filtering and decimation can be **eliminated** by computing one in every N_{bin}/X_s samples.

Other noise effects

- By accounting for other noise effects, a more realistic waveform $s(t)$ can be produced.
- **Non-uniform track width:** weighting the microtracks by a profile w_k
- **Track edge curvature:** shifting the transitions by a track curvature profile c_k
- **DC noise** as AWGN

$$s(t) = \sum_{k=0}^{L-1} \frac{a_k w_k}{N_t} \sum_{i=0}^{N_t-1} h(t - kT - \tau_{i,k} + c_k) + n_{DC}(t).$$

Summary

- Presented a waveform simulator for perpendicular recording based on the [microtrack model](#).
- Performance and distortion tradeoffs were quantified.
- A throughput of more than [1 Mbps](#) can be achieved on a contemporary desktop computer with [negligible](#) distortion.
- [Other noise sources](#) can also be incorporated to further increase the accuracy of the generated waveform.

References

1. J. P. Caroselli and J. K. Wolf, "Applications of a new simulation model for media noise limited magnetic recording channels," *IEEE Trans. Magn.*, vol. 32, pp. 3917-3919, Sept. 1996.
2. J. P. Caroselli, *Modeling, Analysis, and Mitigation of Medium Noise in Thin Film Magnetic Recording Channels*. Ph.D. Thesis, University of California, San Diego, 1998.